

## Problem O

### Watchmen

Time Limit: **2 seconds**  
Mem limit: **256 Megabytes**

Watchmen are in a danger and Doctor Manhattan together with his friend Daniel Dreiberg should warn them as soon as possible. There are  $n$  watchmen on a plane, the  $i^{th}$  watchman is located at point  $(x_i; y_i)$ .

They need to arrange a plan, but there are some difficulties on their way. As you know, Doctor Manhattan considers the distance between watchmen  $i$  and  $j$  to be  $|x_i - x_j| + |y_i - y_j|$ . Daniel, as an ordinary person, calculates the distance using the formula:

$$\sqrt{(x_i - x_j)^2 + (y_i - y_j)^2}.$$

The success of the operation relies on the number of pairs  $(i; j)$  ( $1 \leq i < j \leq n$ ), such that the distance between watchman  $i$  and watchmen  $j$  calculated by Doctor Manhattan is equal to the distance between them calculated by Daniel. You were asked to compute the number of such pairs.

### Input

The first line of the input contains an integer  $n$  ( $1 \leq n \leq 200\,000$ ), the number of watchmen.

Each of the following  $n$  lines contains two integers  $x_i$  and  $y_i$  ( $|x_i|, |y_i| \leq 10^9$ ).

### Output

Print the number of pairs of watchmen such that the distance between them calculated by Doctor Manhattan is equal to the distance calculated by Daniel.

### Sample Input

### Sample output

3 1 1 7 5 1 5	2
6 0 0 0 1 0 2 -1 1 0 1 1 1	11



---

## Explanation

In the first sample, the distance between watchman 1 and watchman 2 is equal to  $|1 - 7| + |1 - 5| = 10$  for Doctor Manhattan and  $\sqrt{(1 - 7)^2 + (1 - 5)^2} = 2 \cdot \sqrt{13}$  for Daniel. For pairs  $(1; 1)$ ,  $(1; 5)$  and  $(7; 5)$ ,  $(1; 5)$  Doctor Manhattan and Daniel will calculate the same distances.